

UNIVERSITY OF ILLINOIS
AT URBANA-CHAMPAIGN

Coupling of heat and spin currents at the nanoscale in cuprates and metallic multilayers

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Thanks to Rich Wilson, 2-channel modeling; and Byoung-Chul
Min and Kyung-Jin Lee (Spin Convergence Research Center,
Korea Institute of Science and Technology) for initial samples,
and magnetization dynamics modeling

supported by Army Research Office

Hohensee *et al.*, PRB (2014)

Choi *et al.*, *Nature Communications* (2014)



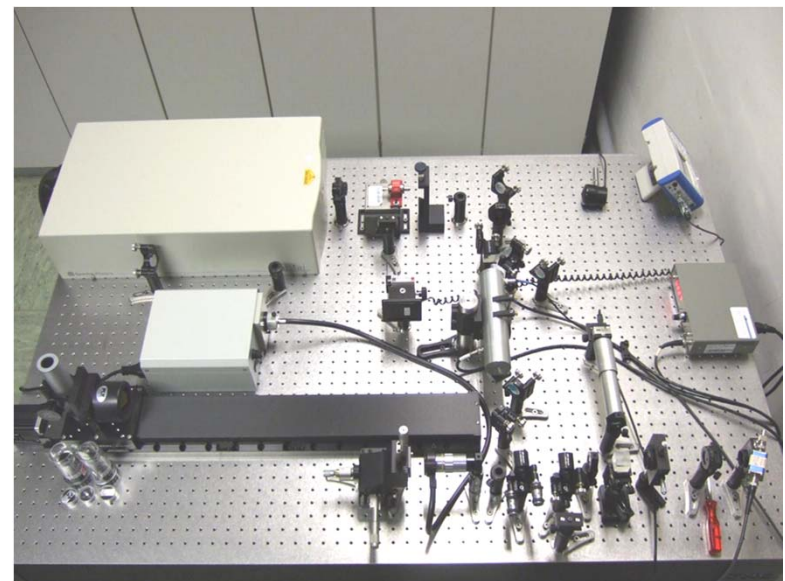
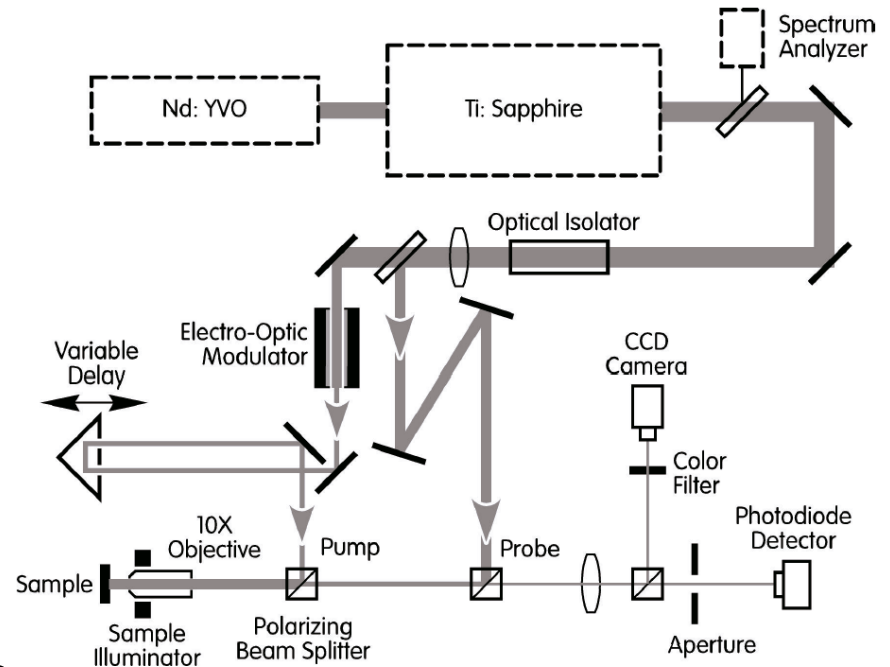
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Outline

- Part I: Extremes. Heat conduction by spin waves in one-dimensional quantum spin systems
 - Determine strength of magnon-phonon coupling using frequency dependence of the thermal conductivity as measured by time-domain thermoreflectance.
- Part II: New thermal function. Spin-heat current coupling in metallic multilayers
 - produce a spin current by ultrafast heat flow through a CoPt perpendicular magnetic layer.
 - Kerr effect probe of transient spin polarization of a Cu capping layer.
 - Kerr effect probe of spin-torque effect on an in-plane magnetic layer.

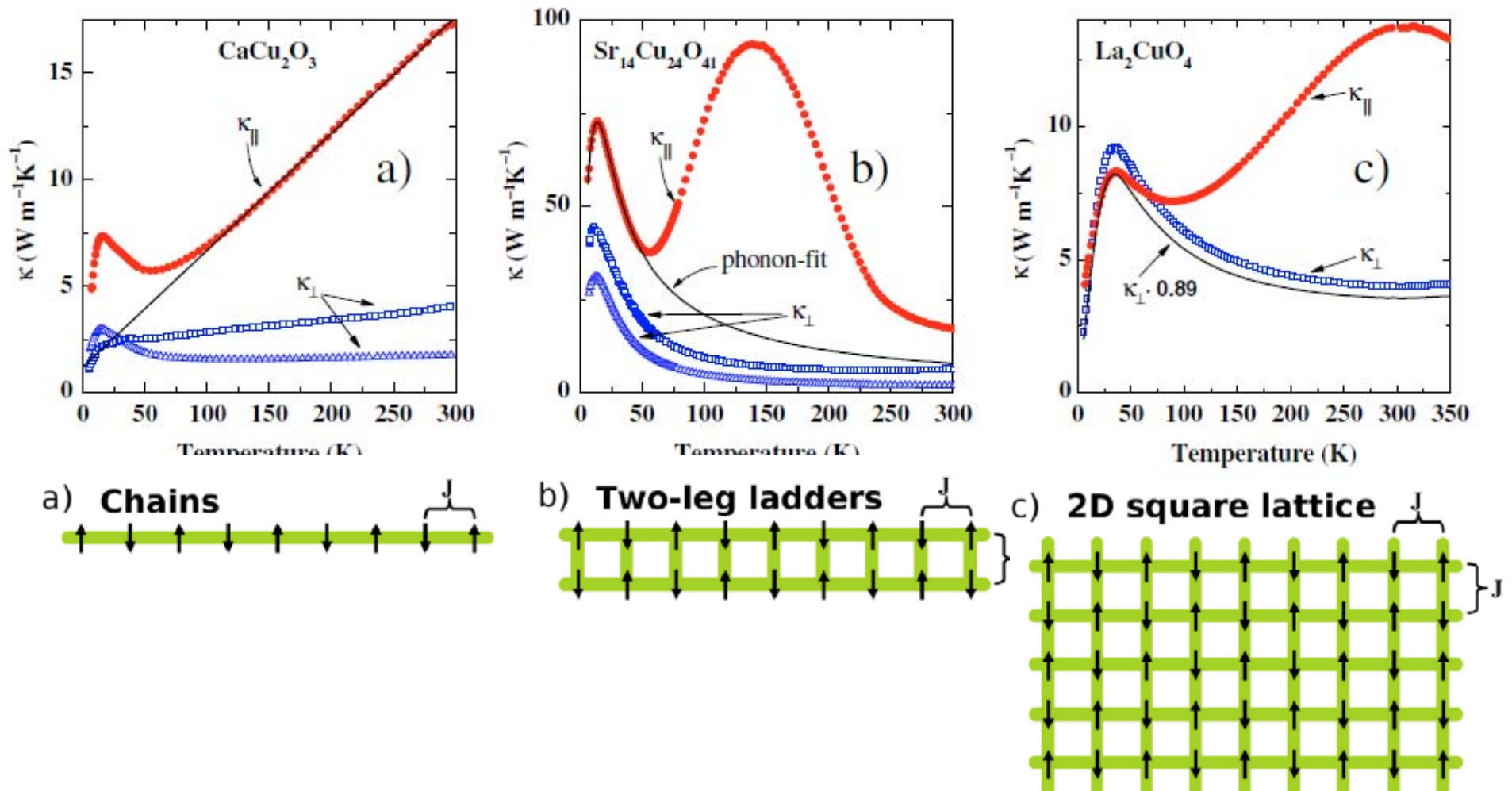
Time domain thermoreflectance since 2003

- Improved optical design
- Normalization by out-of-phase signal eliminates artifacts, increases dynamic range and improves sensitivity
- Exact analytical model for Gaussian beams and arbitrary layered geometries
- One-laser/two-color approach tolerates diffuse scattering



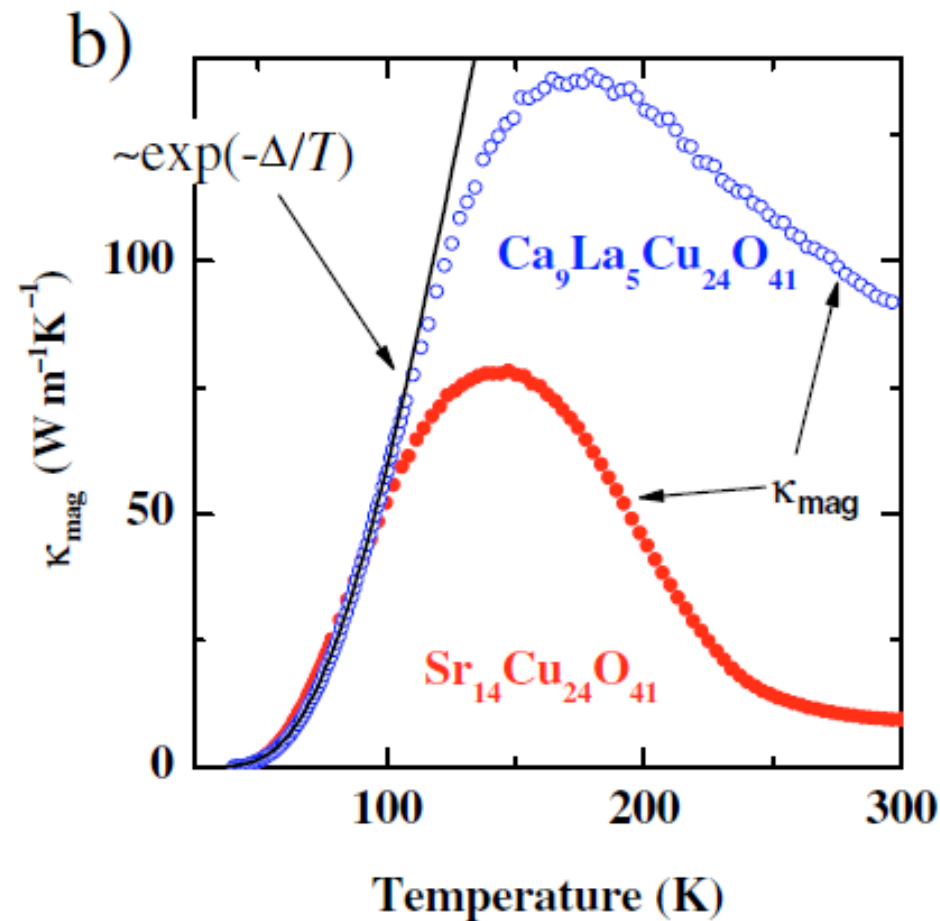
Clone built at Fraunhofer Institute for Physical Measurement, Jan. 7-8 2008

Diversity of anti-ferromagnetic order in copper-oxides



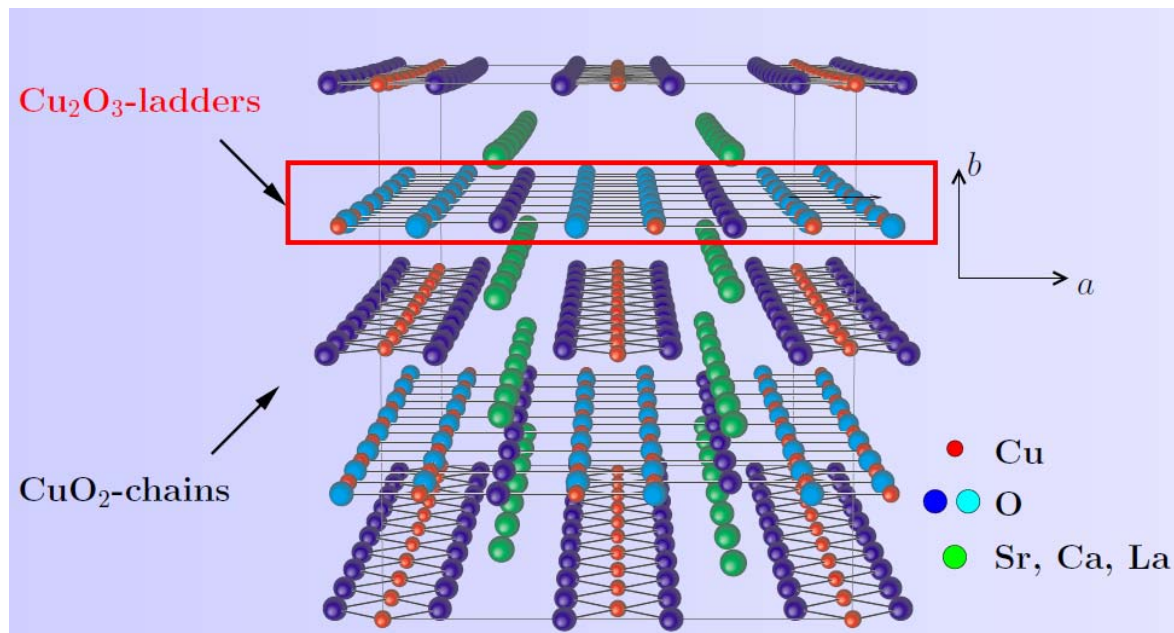
Hess (2007)

Reports of extraordinarily high spin-wave thermal conductivity near room temperature in “undoped” ladder



Hess (2007)

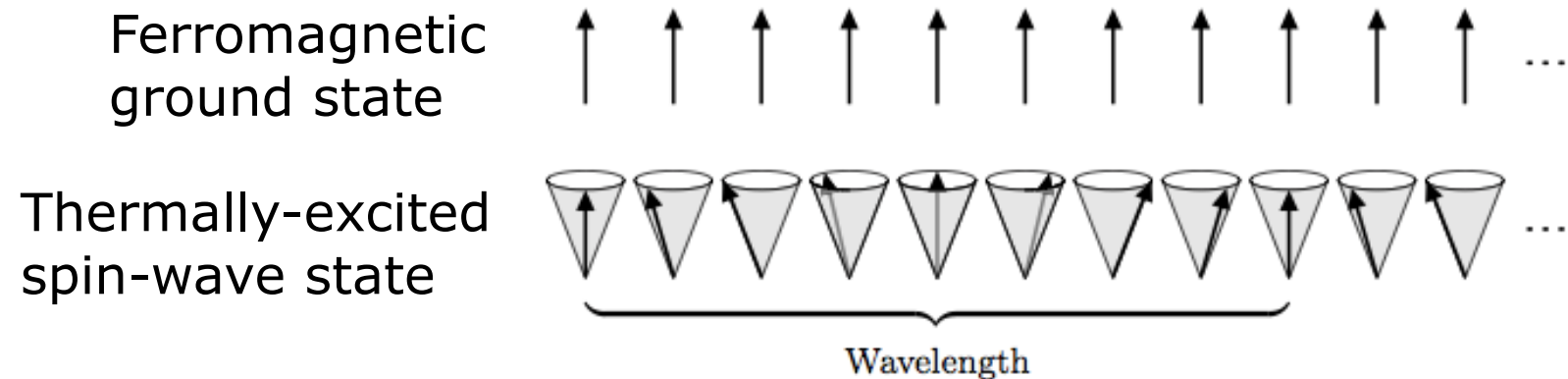
Magnon-phonon coupling and magnon thermal conductivity in the spin ladder $\text{Ca}_9\text{La}_5\text{Cu}_{24}\text{O}_{41}$



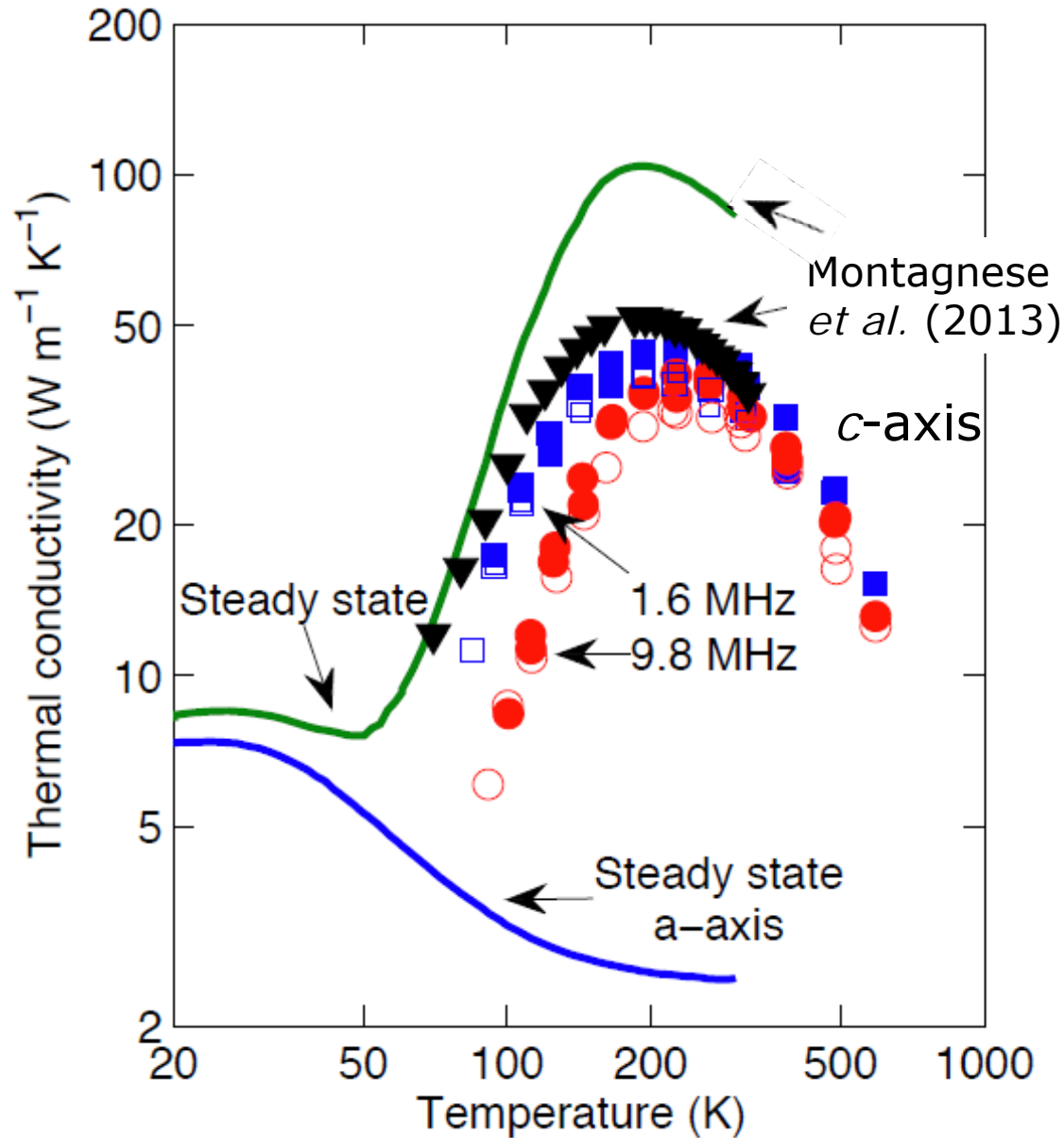
McCarron *et al.*, Mat. Res. Bull. (1988)

colorized graphic by
Heidrich-Meisner (2005)

Spin waves are intrinsically quantum mechanical so hard to think about in classical analogies



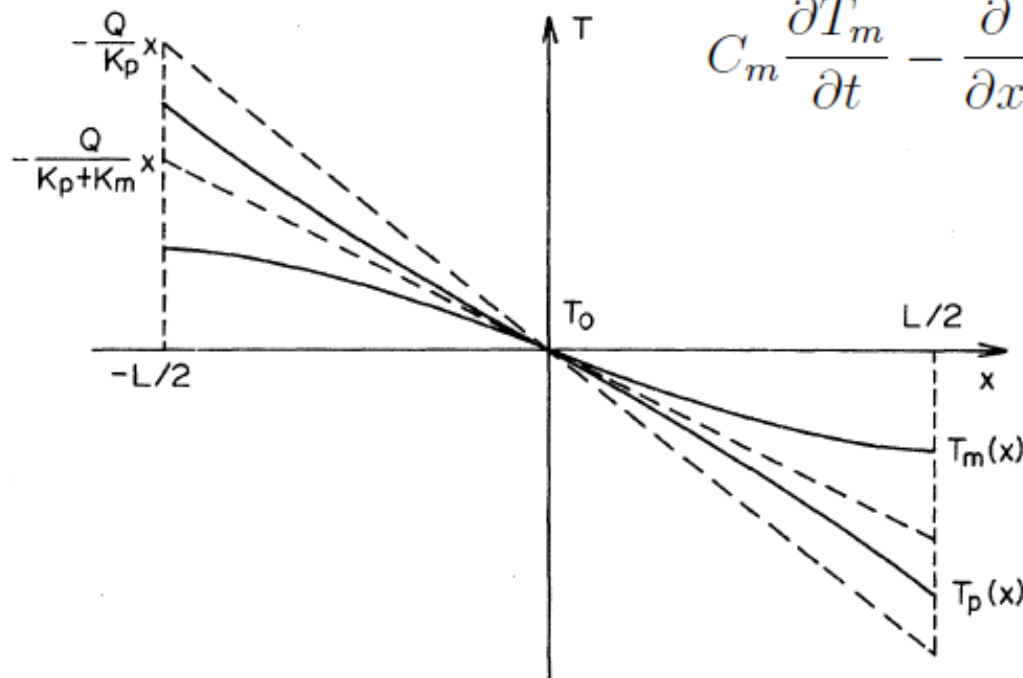
Frequency dependent spin-wave thermal conductivity in $\text{Ca}_9\text{La}_5\text{Cu}_{24}\text{O}_{41}$



Use a two-channel model: magnons and phonons

- Sanders and Walton (1977) analyzed the steady-state situation for the context of conventional thermal conductivity measurements. Only phonons can carry heat through the ends of the sample.

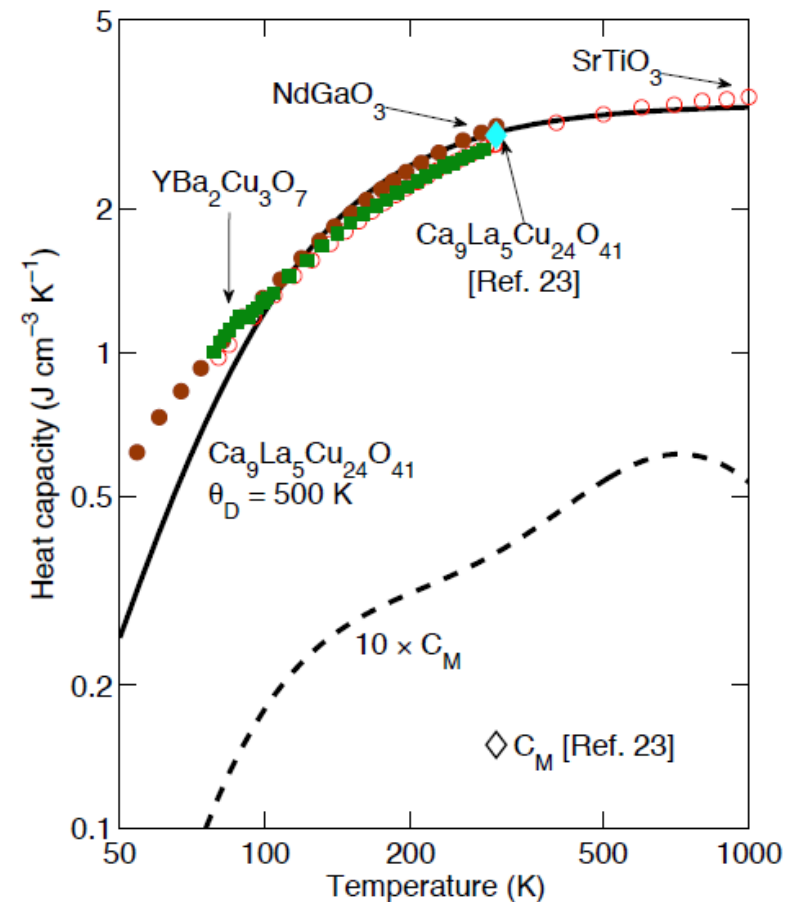
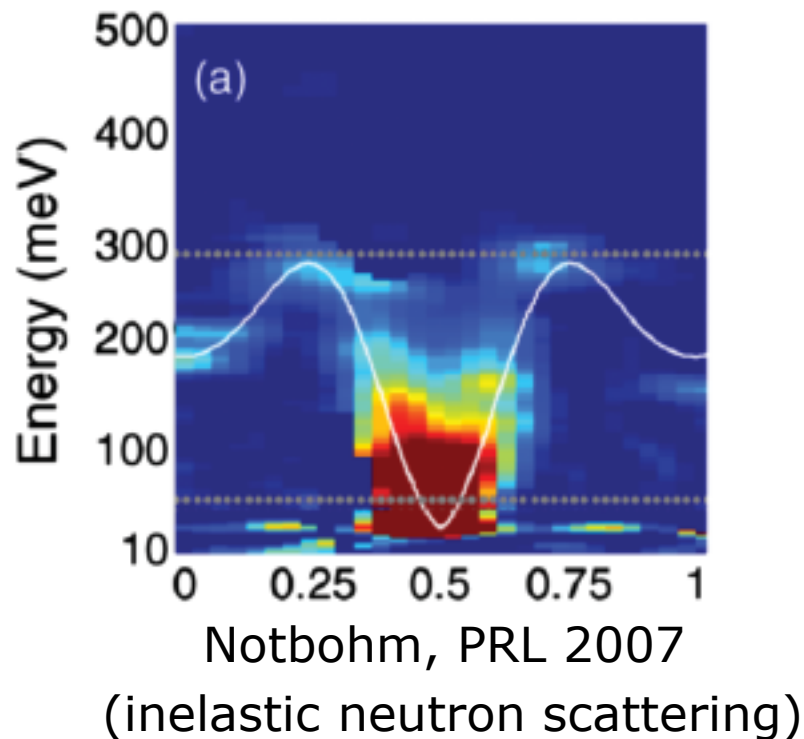
$$C_p \frac{\partial T_p}{\partial t} - \frac{\partial}{\partial x} \left(\Lambda_p \frac{\partial T_p}{\partial x} \right) + g(T_p - T_m) = 0$$
$$C_m \frac{\partial T_m}{\partial t} - \frac{\partial}{\partial x} \left(\Lambda_m \frac{\partial T_m}{\partial x} \right) + g(T_m - T_p) = 0.$$



Solution for TDTR experiments: Wilson *et al.*, PRB (2013).

Need to fix as many parameters as possible

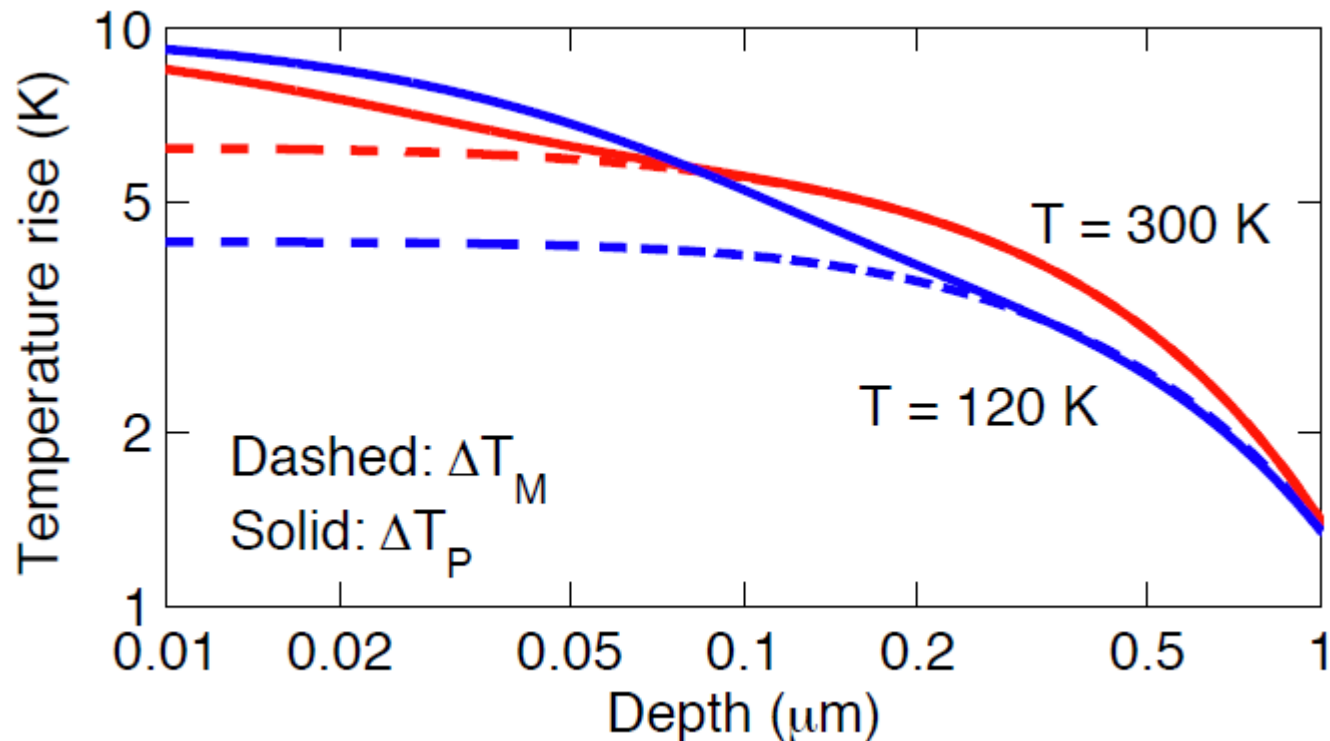
- Use magnon dispersion to estimate magnon heat capacity.
- Lattice and magnon thermal conductivity from Montagnese *et al.* (2013)



Hohensee *et al.*, PRB (2014)

Use a two-channel model: magnons and phonons

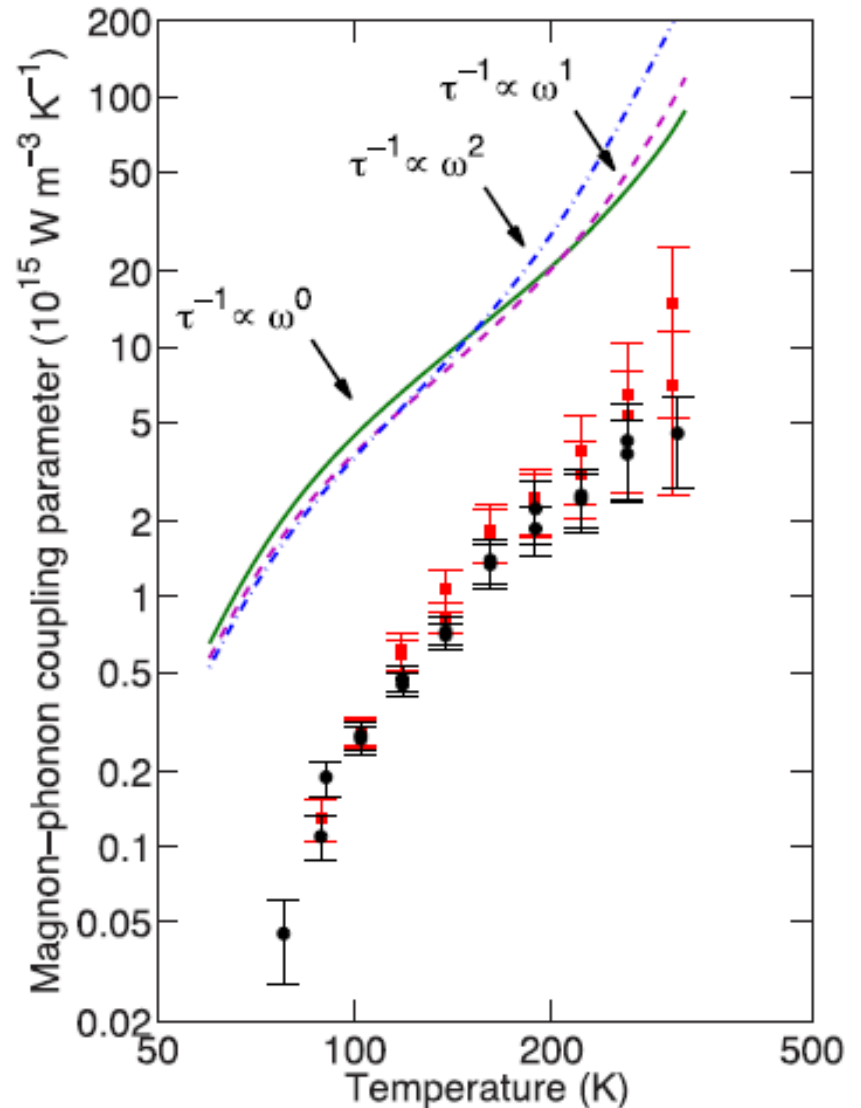
- Model calculations for 10 MHz TDTR experiment. The coupling parameter g is adjusted to get the best fit to the frequency dependent data



Magnon-phonon coupling parameter is strongly T -dependent

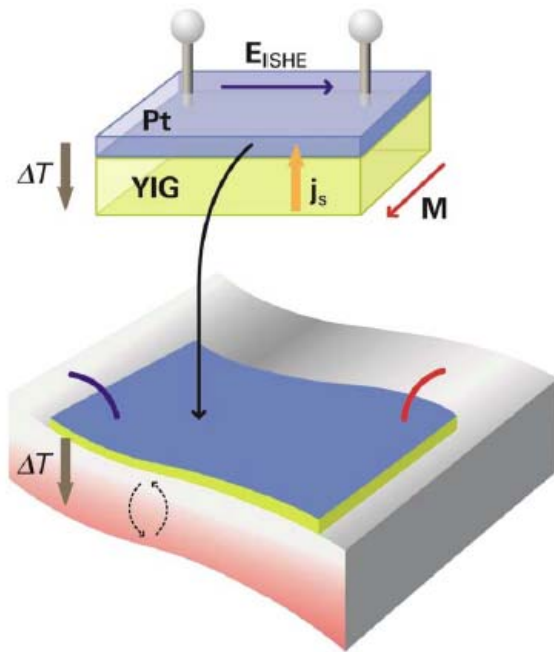
- $g \sim 10^{15} \text{ W m}^{-3} \text{ K}^{-1}$ near the peak in the thermal conductivity. (30 times smaller than g for electron-phonon coupling in Au.)
- Does this coupling (and therefore magnon-phonon scattering) determine the thermal conductivity near the peak?
- Is “two temperatures” too crude of a model to capture the physics?

PRB **89**, 024422 (2014)

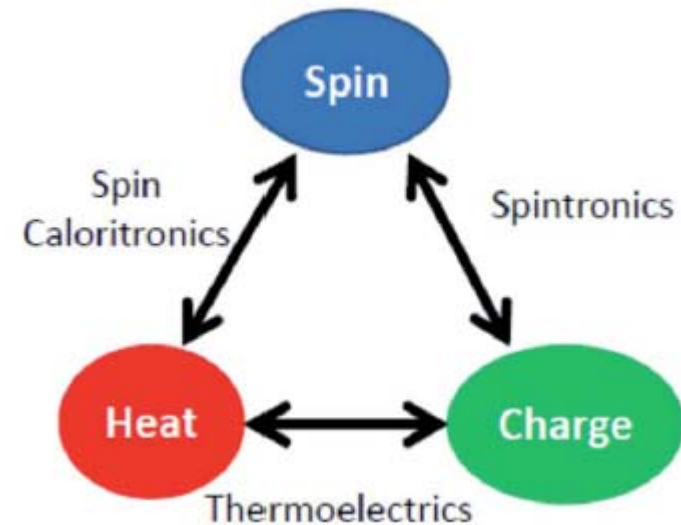


Motivation I: Can we make use of spin in heat engines?

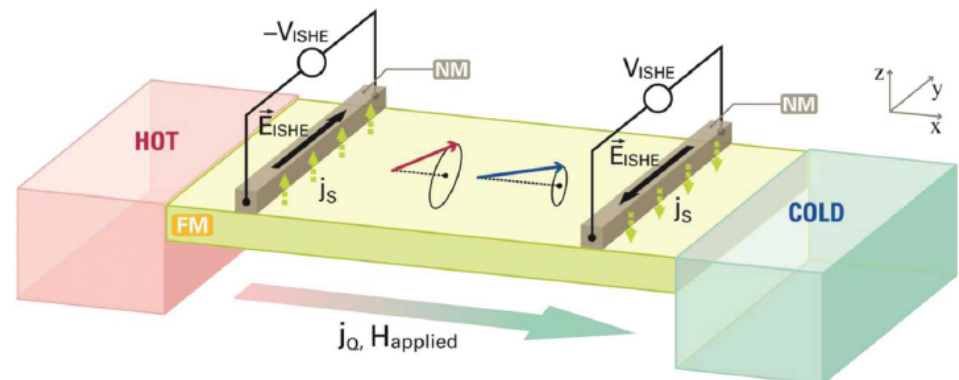
- Electronic states enumerated by energy, wave-vector, spin
- Possible advantages in geometrical scaling, $\nabla E \perp \nabla T$.



Kirihara *et al.*, *Nat. Mat.* (2013)



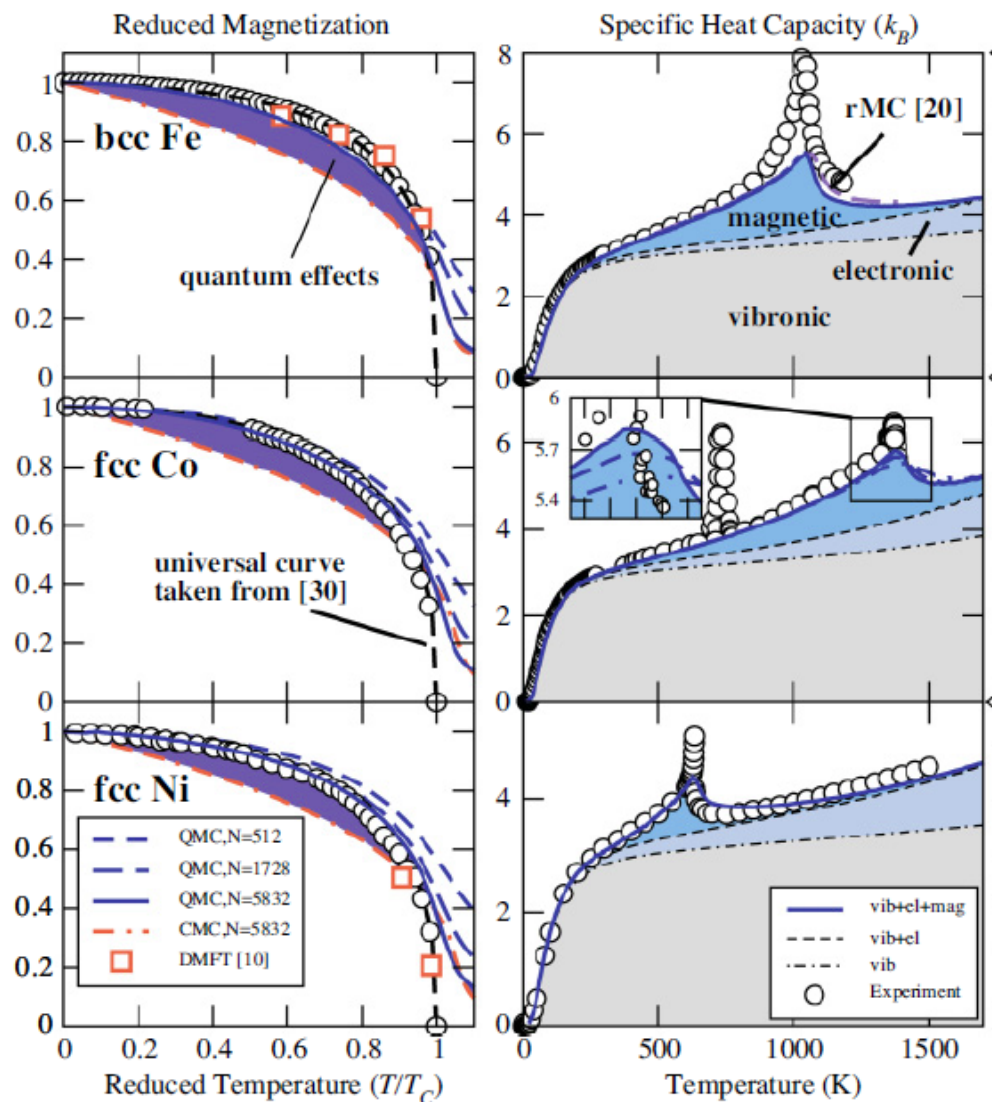
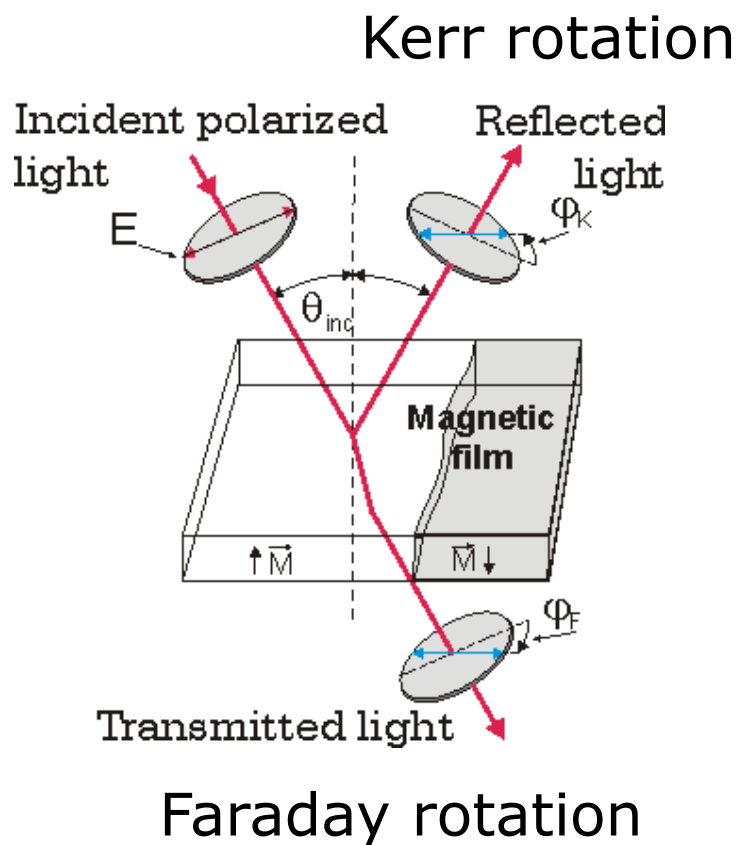
Boona, Myers, Heremans,
Energy and Env. Sci. (2014)



Motivation II: Can we make use of heat currents in information technology?

- Big picture problem: “How can we write magnetic information without resorting to magnetic fields, e.g., with spin currents?”
 - Rapid changes in magnetization and strong temperature gradients in magnetic materials should produce spin currents.
 - Magnitudes of the effects are only beginning to be understood.

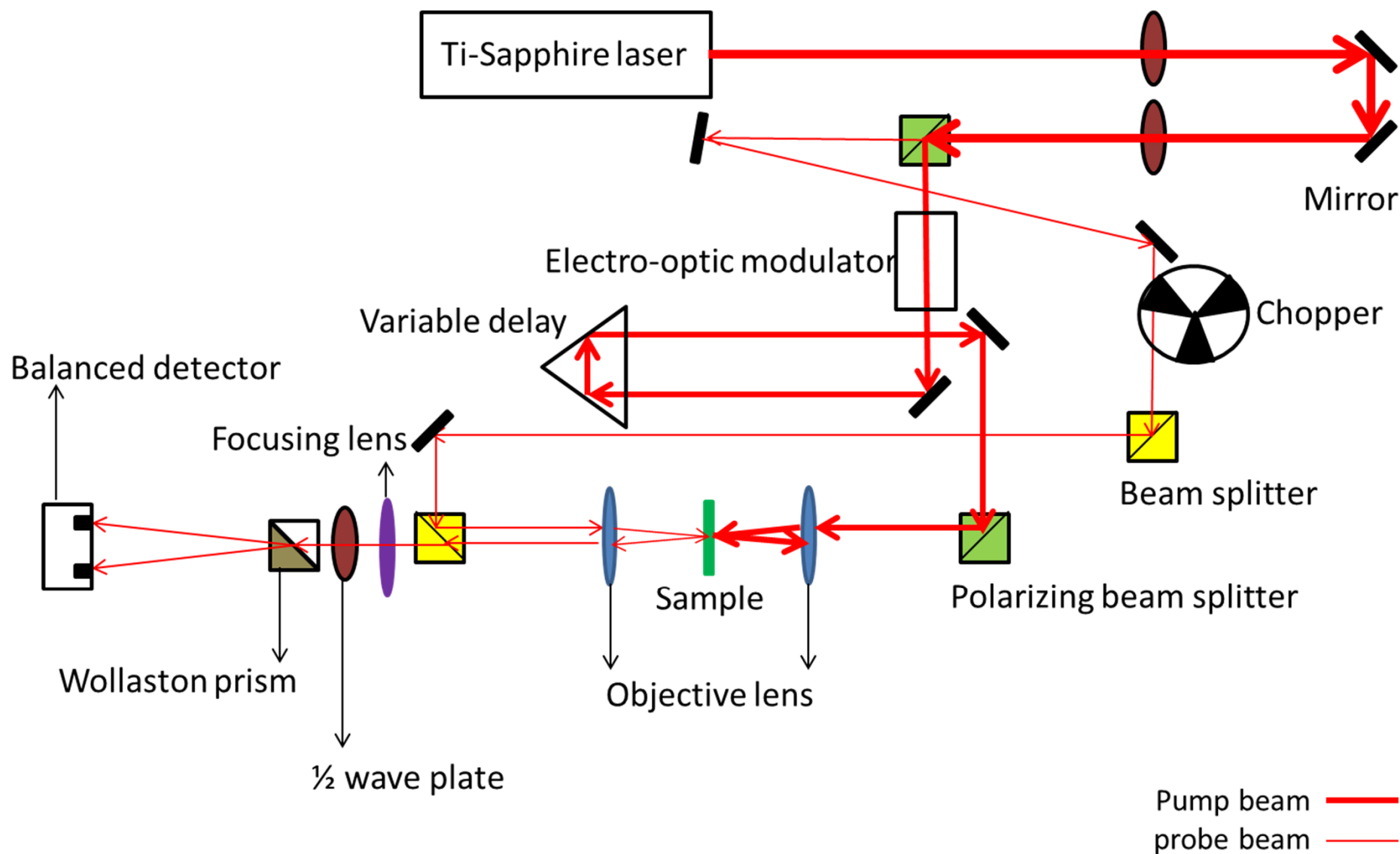
Time-resolved magneto-optic Kerr effect (TR-MOKE) to measure magnetization and spin accumulation



<http://labfiz.uwb.edu.pl>

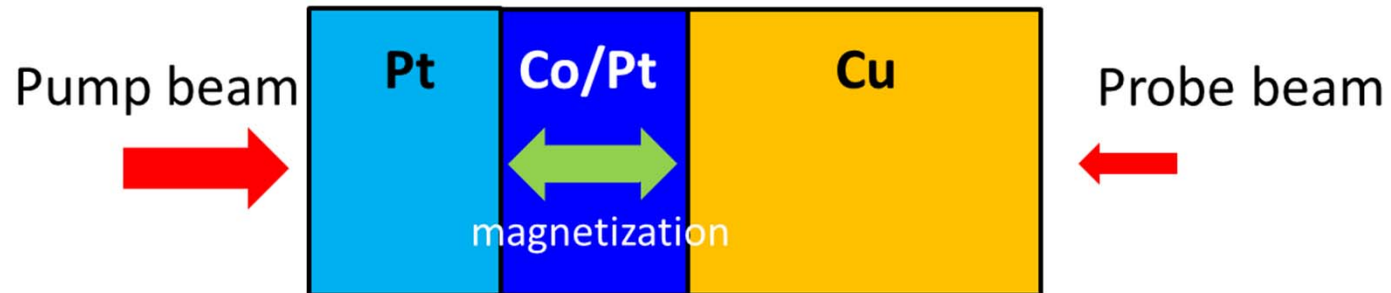
Körmann *et al.*, PRB (2011)

Time-resolved magneto-optic Kerr effect (TR-MOKE) to measure magnetization and spin accumulation

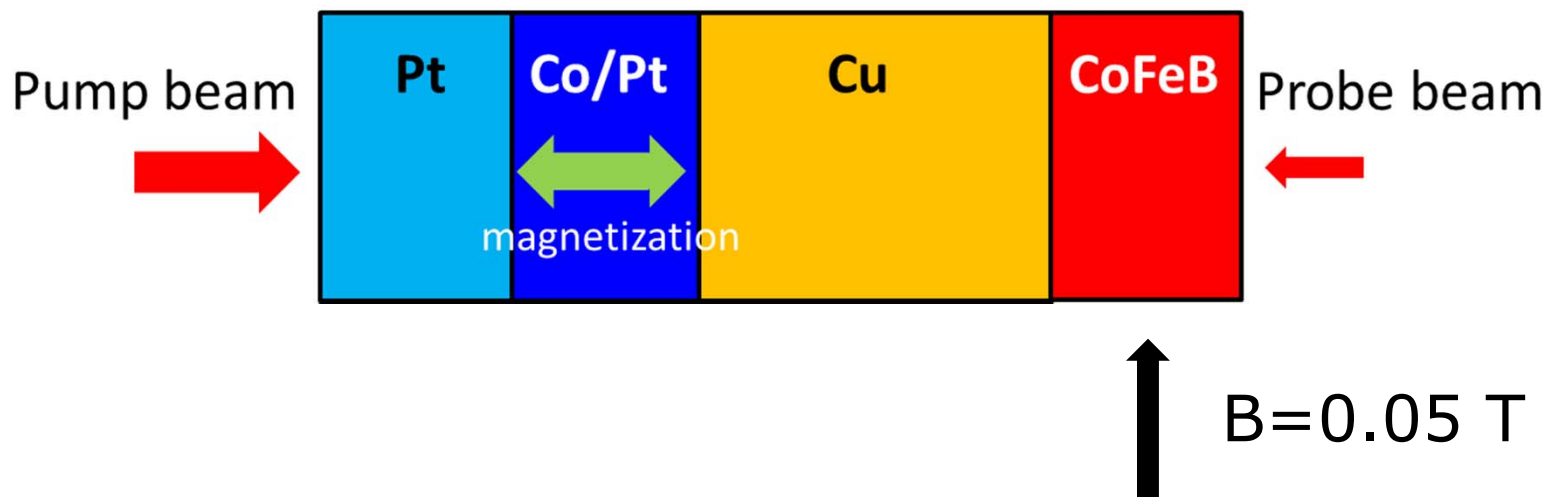


Two types of samples: i) for spin accumulation; and ii) for spin-transfer torque

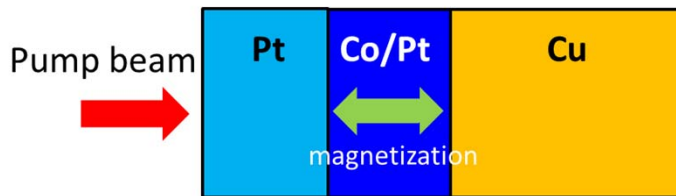
Sapphire/Pt(30)/[Co/Pt]_{xn}(6)/Cu(80)/MgO(10)/AlOx(5) (in nm)



Sapphire/Pt(30)/[Co/Pt]_{xn}(6)/Cu(10)/CoFeB(2)/MgO(10)/AlOx(5) (in nm)

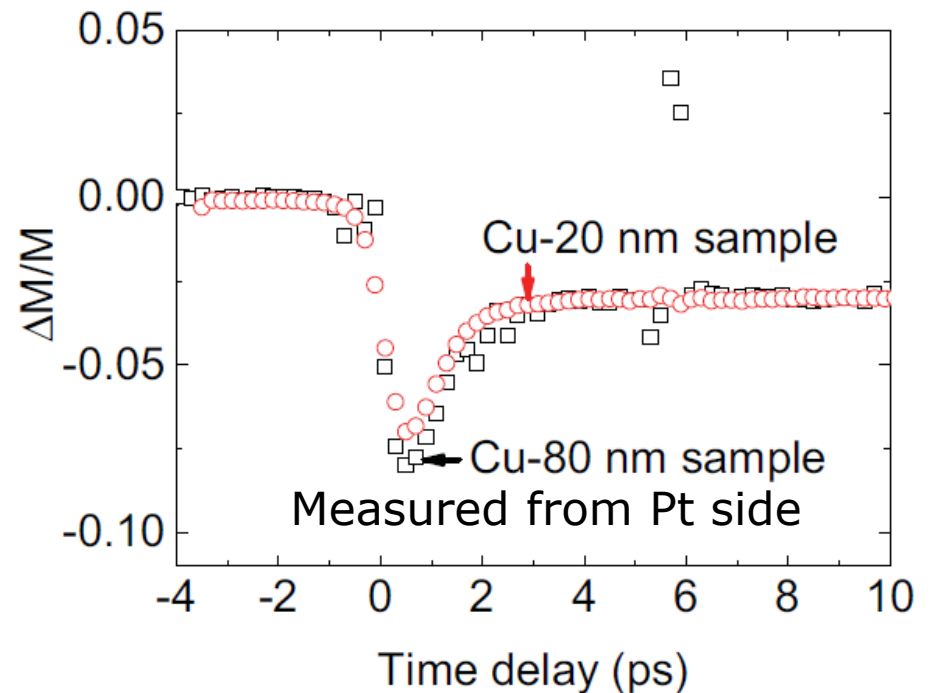
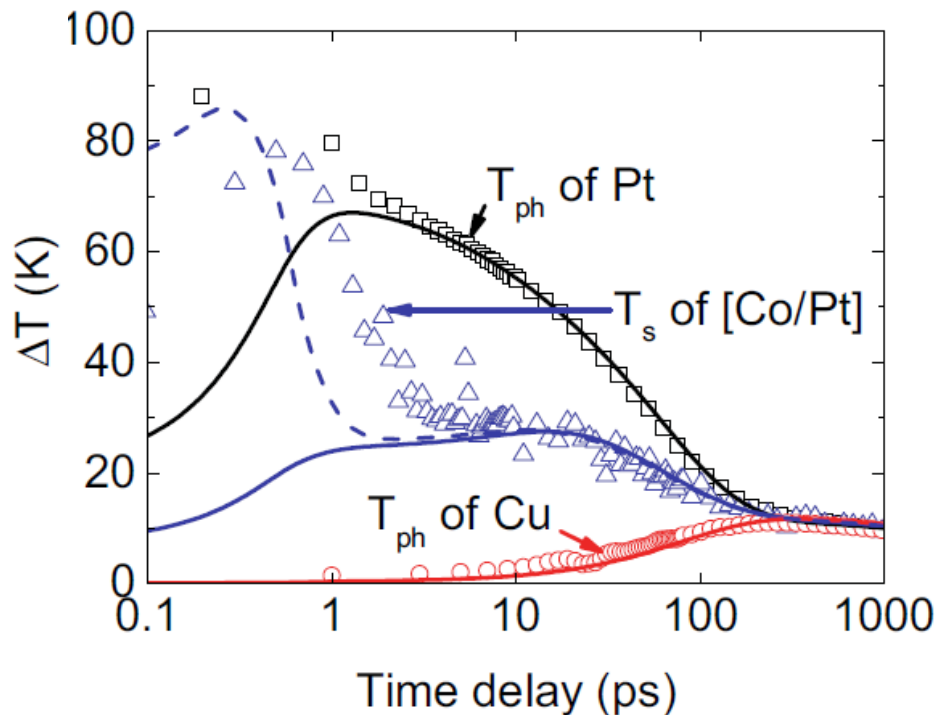


Pump Pt-side, probe either Pt-side or Cu side by either TDTR or TR-MOKE



Normalized Kerr signal from Co/Pt is independent of Cu thickness

$$\left. \frac{\Delta M}{M} \right|_{\max} = -0.08 \pm 0.02 \text{ at } 0.5 \text{ ps}$$



Spin diffusion model

$$\frac{\partial \mu_s}{\partial t} = D \frac{\partial^2 \mu_s}{\partial z^2} - \frac{\mu_s}{\tau_s}$$

spin generation rate per unit volume

$$G_s = -\frac{dM}{dt}$$

$\mu_s = \mu_{\uparrow} - \mu_{\downarrow}$ is the spin chemical potential

D is the spin diffusion constant

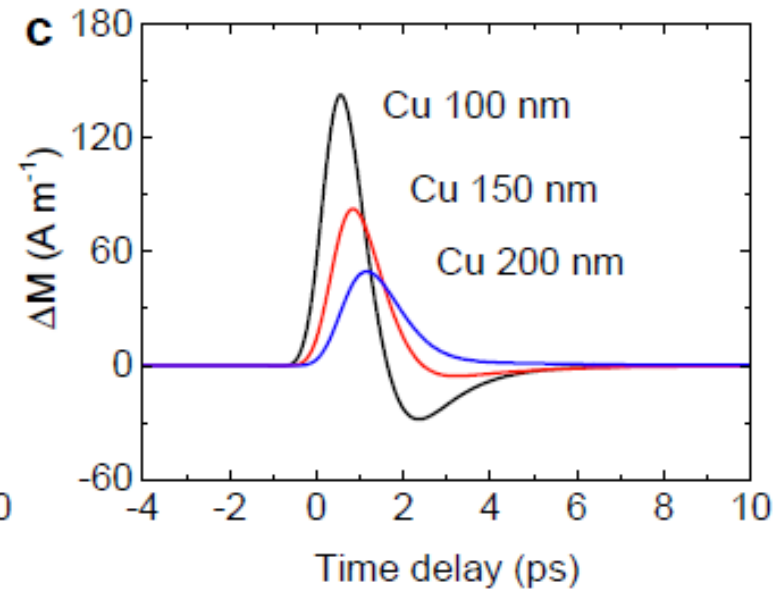
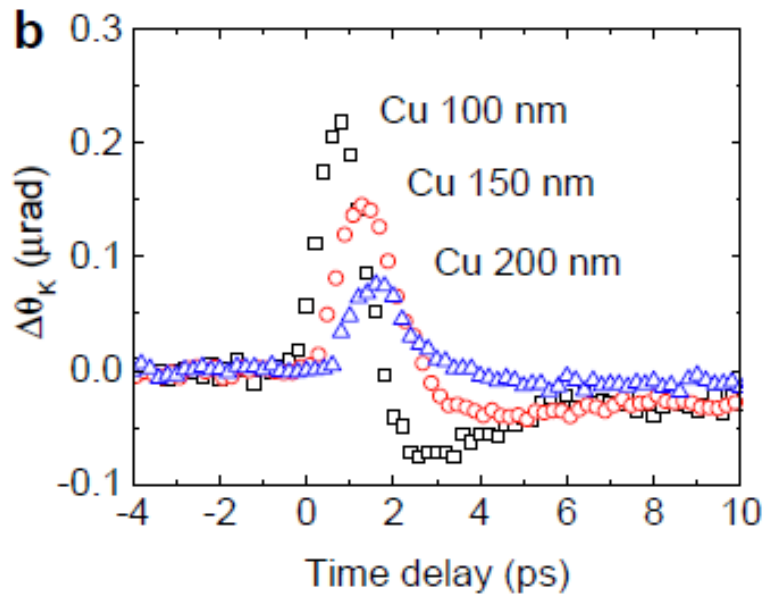
τ_s is the spin relaxation time.

	Pt	[Co/Pt]	Cu
D (nm ² /ps)	200	100	6500
τ_s (ps)	0.5	0.05	25
$(D\tau_s)^{1/2}$ (nm)	10	2.2	400

Comparison between experiment and spin diffusion model using spin generation = dM/dt

Measured Kerr signal on Cu side
 $E=36 \text{ J m}^{-2}$

Spin diffusion model
 $E=17 \text{ J m}^{-2}$



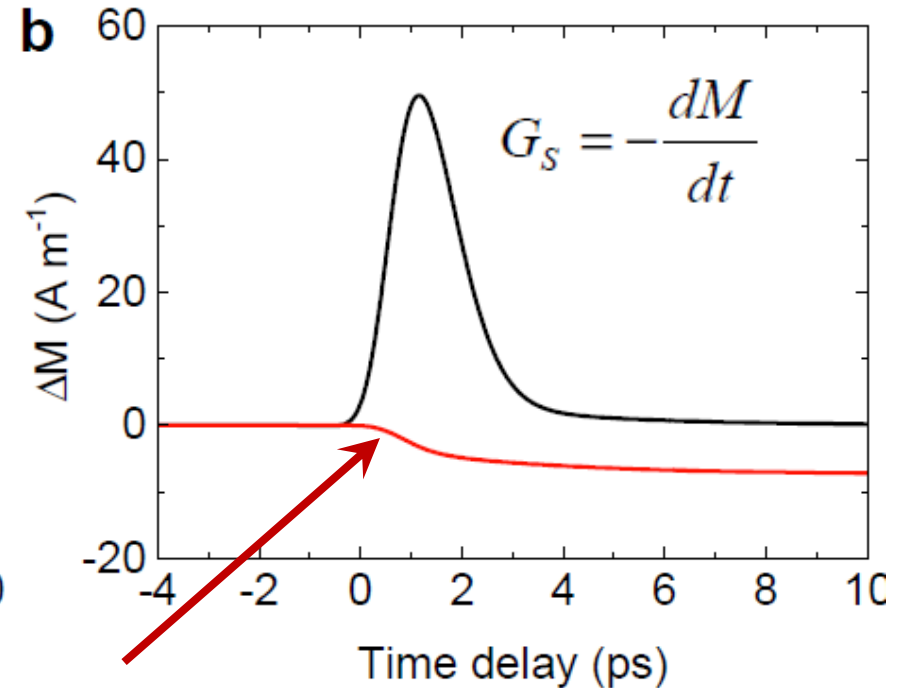
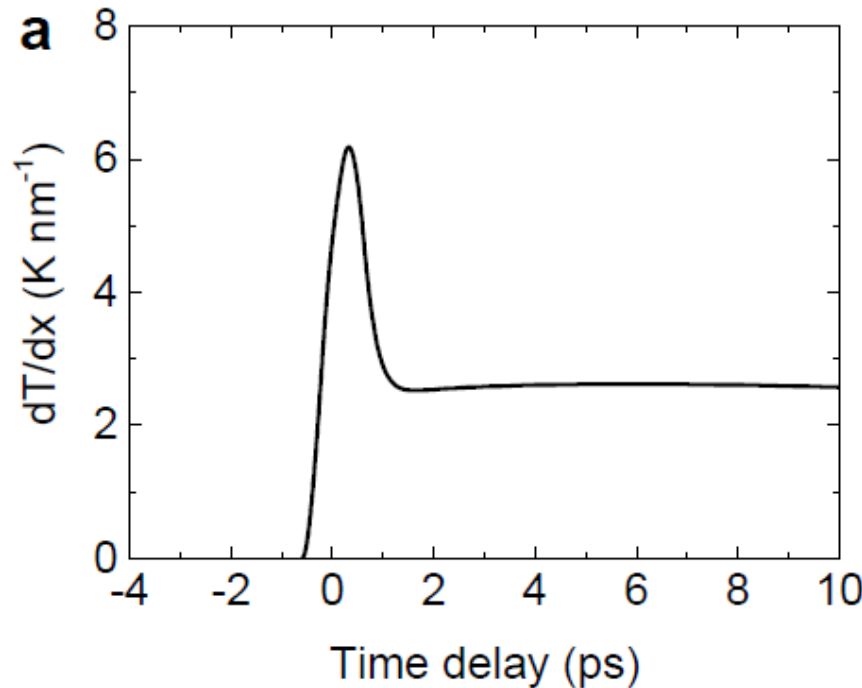
- No prior studies of how to convert Kerr rotation to spin accumulation.
- Working in progress to relate Kerr rotation quantitatively to spin accumulation in Cu and Au.

Temperature gradient also contributes to spin accumulation

$$J_s = -\frac{\mu_B}{e}(\sigma_{\uparrow}S_{\uparrow} - \sigma_{\downarrow}S_{\downarrow})\nabla T = -\frac{\mu_B}{e} \frac{\sigma_{\uparrow}S_{\uparrow} - \sigma_{\downarrow}S_{\downarrow}}{\sigma_{\uparrow} + \sigma_{\downarrow}} \sigma \nabla T$$

Temperature gradient in the Pt/Co layer from thermal modeling

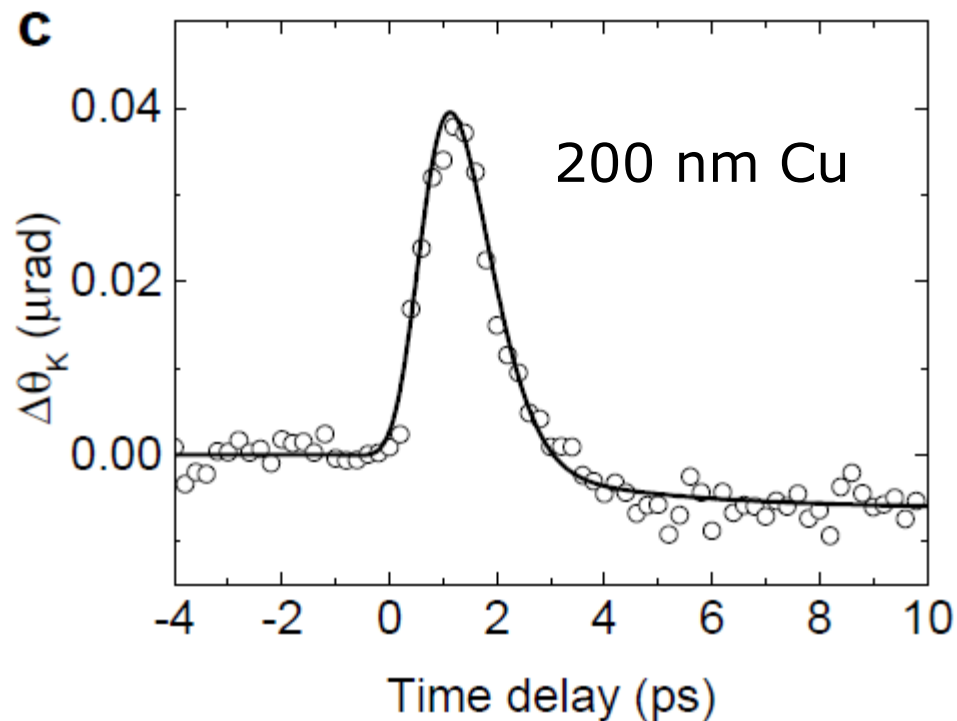
Calculated spin accumulations



$$\frac{\sigma_{\uparrow}S_{\uparrow} - \sigma_{\downarrow}S_{\downarrow}}{\sigma_{\uparrow} + \sigma_{\downarrow}} \approx 5 \mu\text{V K}^{-1}$$

Temperature gradient also contributes to spin accumulation

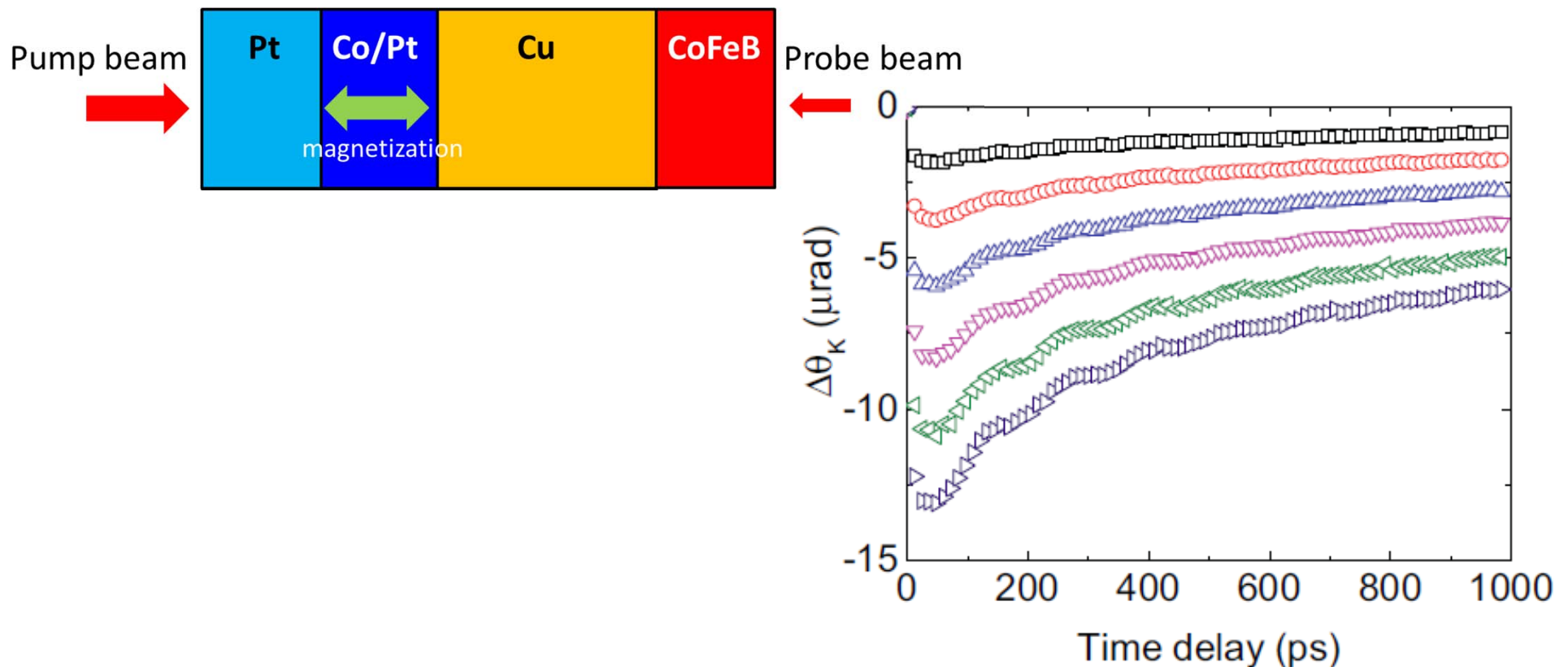
- More refined data with comparison to spin diffusion model including the spin-dependent Seebeck effect
- Comparison between model and data gives



$$\left. \frac{\Delta\theta_K}{\Delta M} \right|_{\text{Cu}} \approx 8.5 \times 10^{-10} \text{ rad m A}^{-1}$$

Use an in-plane magnetic layer of CoFeB to calibrate the magnitude of the spin current

- Spin current kicks magnetization of CoFeB out-of-plane (spin torque) and induces precession.
- Amplitude of the precession can be calibrated using Kerr rotation in a static field perpendicular field.



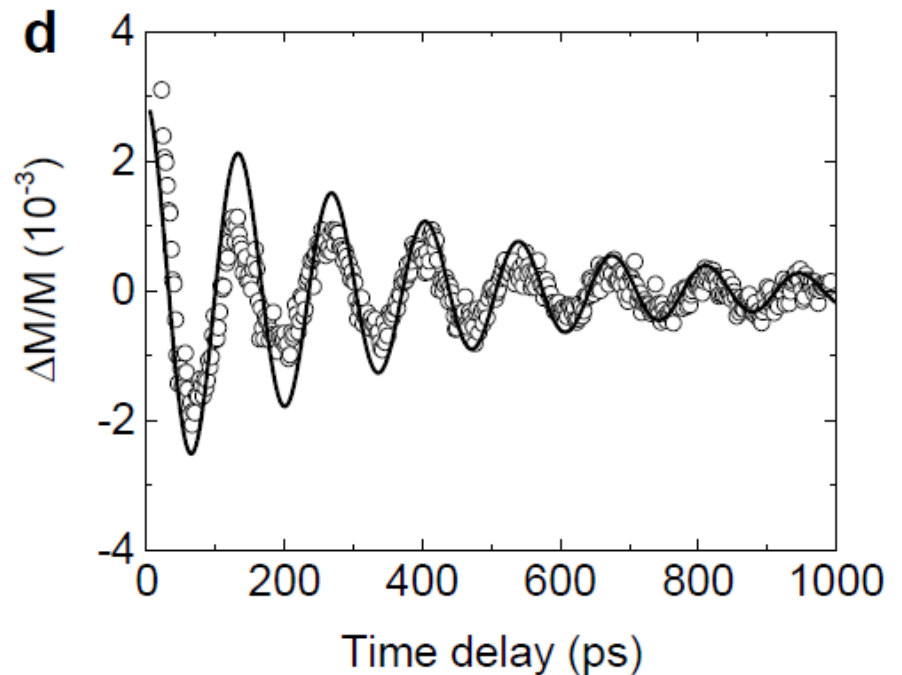
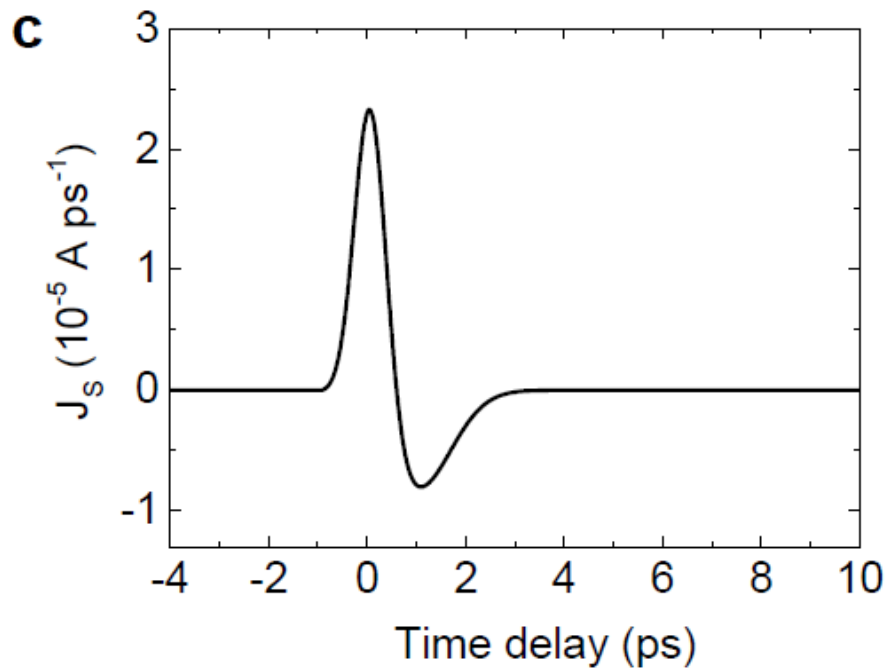
Combine spin diffusion model with magnetization dynamics

- Spin current has transverse polarization with respect to CoFeB magnetization, therefore, CoFeB is a perfect sink for spin (spin chemical potential is zero at Cu/CoFeB interface)
- Cu layer is thin, therefore, we need to include finite spin conductance at the [Co/Pt]/Cu and Cu/CoFeB interfaces
 - longitudinal spin conductance $\frac{G_{\uparrow} + G_{\downarrow}}{2e^2} \approx 0.4 \times 10^{15} \Omega^{-1} \text{ m}^{-2}$
 - transverse spin conductance $\frac{\text{Re}\{G_{\uparrow\downarrow}\}}{e^2} \approx 0.6 \times 10^{15} \Omega^{-1} \text{ m}^{-2}$

Good agreement between predicted and measured amplitude of spin precession

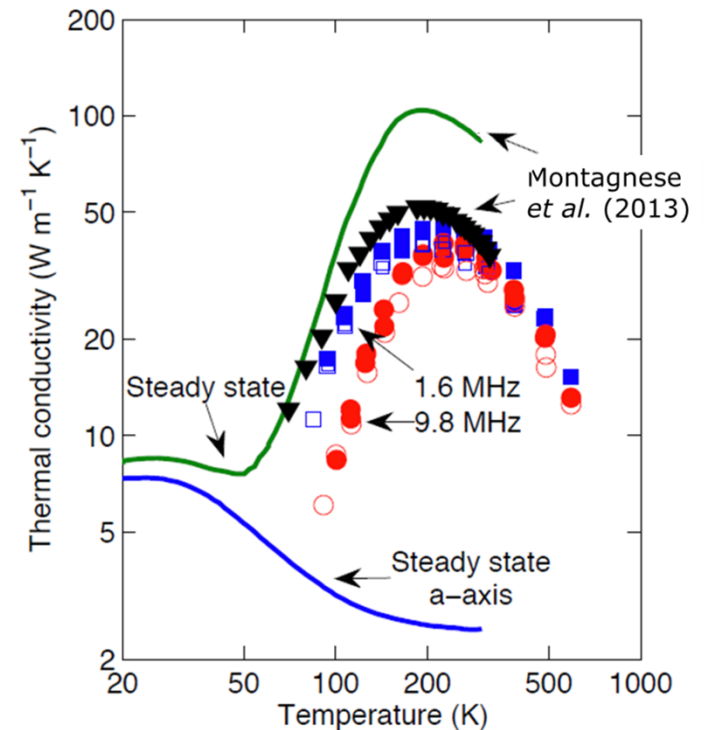
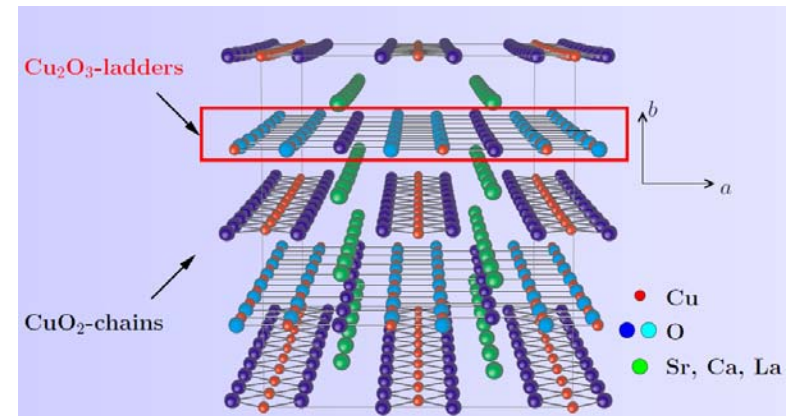
Landau-Lifshitz-Gilbert equation

$$\dot{m} = -\gamma m \times H_{\text{eff}} + \alpha m \times \dot{m} + \frac{J_s}{M_s h} m \times (m \times m_{\text{fixed}})$$



Summary

- Time-domain thermoreflectance (TDTR) with MHz thermal waves enables probing of non-equilibrium between magnons and phonons on sub-micron length scales.
- Two-temperature model gives magnon-phonon coupling parameter $g \sim 10^{15} \text{ W m}^{-3} \text{ K}^{-1}$ at the peak in the thermal conductivity.
- But is a two-temperature model a reasonable approximation to reality?



Summary

- Picosecond demagnetization of [Co/Pt] multilayer produces spin-currents that can exert a spin-transfer torque on an in-plane magnetic layer or produce spin accumulation in Cu
 - 6% of loss of demagnetization of [Co/Pt] magnetization is transferred to CoFeB layer
 - Increase efficiency with [Co/Pd] or [Co/Ni] with longer spin diffusion length?
- Experiments and modeling give a spin-dependent Seebeck effect in [Co/Pt] of $\approx 5 \mu\text{V K}^{-1}$
 - Will a tunnel barrier produce a larger effect?